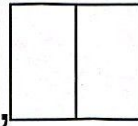
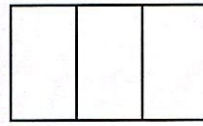


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Promo M1 2018

Date 11/04/17



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## MATIÈRE Real Time

### 1) Course question

1. Real time system: system that must respond to time constraints and handle tasks as soon as possible in a given window before a deadline.  
It is used for systems that have major time constraints ("électronique embarquée")

2. Hard real time means that a window should never ever be missed no matter what. It is for critical systems where a failure can be fatal (eg: avionics)

Soft real time: a window can be missed if necessary; it is bad but not very severe. (eg: videogames, video conferences)

3. Déterminisme: ~~all cases~~ have been taken into account

Reliability: ~~the system will not fail and miss a window~~  
Fiabilité

Predictability: the system will respond always the same for a given input



problems?

4. With a less efficient processor, tasks will take more time  
with a more efficient processor, tasks will execute more quickly.

5. When sending a burst of interruptions on a UNIX system, it can miss some of them. why?  
There is no "real" solution because the system will always have a hardware limitation to the number of interruptions it can handle simultaneously.

6. WCET: Worst Case of Execution Time.  
Useful to know what is the maximum time a task can take to complete.

7. Priority Inversion: if a resource A <sup>acquires</sup> takes a lock on a shared resource, then is pre-empted by a resource B with a higher priority but the resource B wants to acquire the shared resource locked by A.

To avoid this, we use priority inheritance protocol: priority of resource A is changed to the priority of resource B so that A can complete before B.

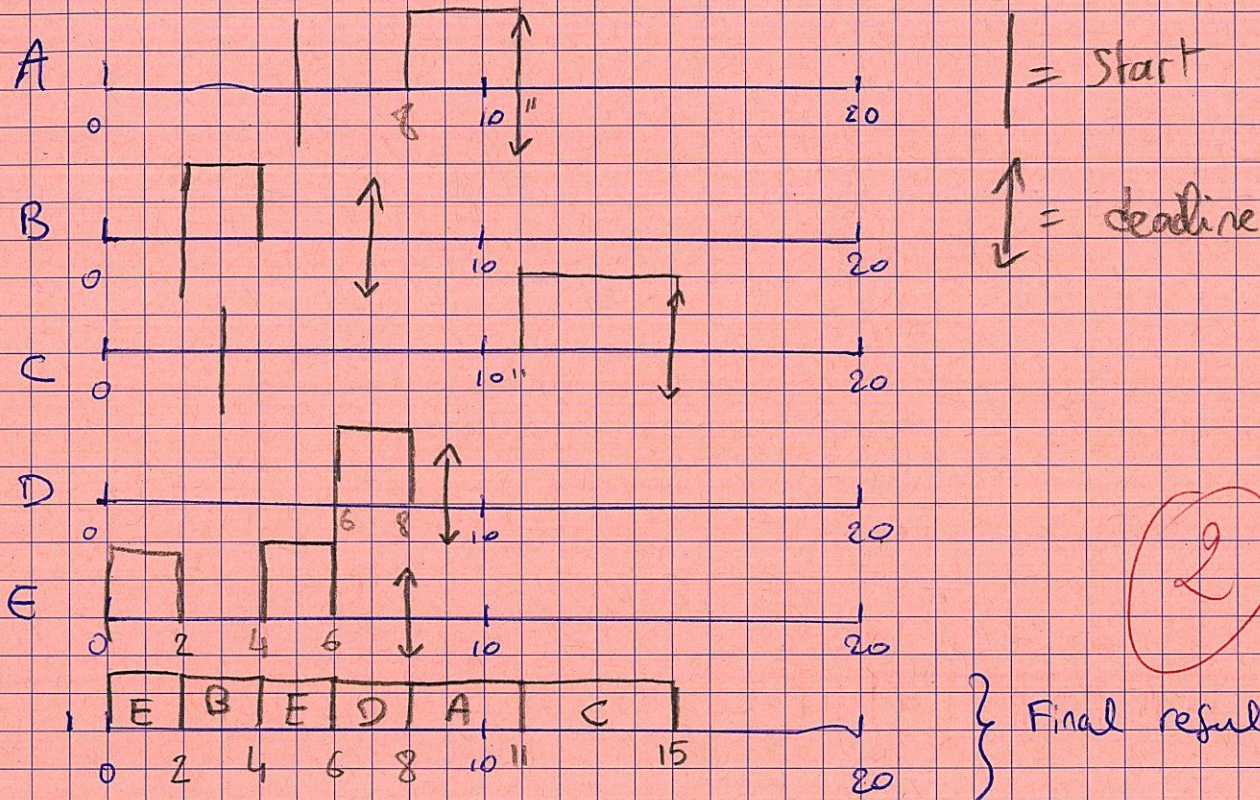
it was already the case...



## 2) Scheduling

8. EDF. Priority =  $\frac{1}{\text{deadline}}$

$$P(B) > P(E) > P(D) > P(A) > P(C)$$



9. LLF. Priority =  $\frac{1}{\text{laxity}}$

We will compute the laxity whenever a task spawns:

$$t = 0, t = 2, t = 3, t = 5, t = 6$$

From  $t = 0$  to  $t = 2$ , only E is available, so we execute it.

$$\text{Priority} \quad \pi_d(t=0) E = (8 - 0) - 4 = 4$$

At  $t = 2$ , B becomes available

$$\pi_d(t=2) E = (8 - 2) - 2 = 4$$

$$\pi_d(t=2) B = (7 - 2) - 2 = 3$$

We take B until  $t = 3$

$$\pi_d(t=3) E = (8 - 3) - 2 = 3$$

$$\pi_d(t=3) B = (7 - 3) - 1 = 3$$

$$\pi_d(t=3) C = (15 - 3) - 4 = 8$$

E and B are equivalent. We take E until 5



At  $t=5$ , A becomes available

$$nd(t=5) B = (7 - 5) - 1 = 1$$

$$nd(t=5) A = (11 - 5) - 3 = 3$$

$$nd(t=5) C = (15 - 5) - 4 = 6$$

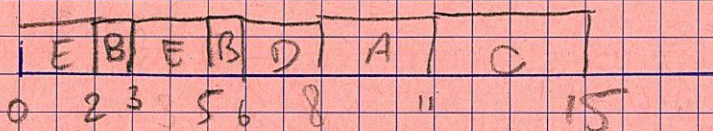
We take B until  $t=6$ . Then D becomes available

$$nd(t=5) A = (11 - 6) - 3 = 2$$

$$nd(t=5) C = (15 - 6) - 4 = 5$$

$$nd(t=5) D = (9 - 6) - 2 = 1$$

We take D, A and C.



Result

$$10. W = \sum \frac{\text{Execution time}}{\text{Period}}$$

$$W = \frac{1}{4} + \frac{2}{6} + \frac{3}{8} = \frac{1}{3} + \frac{5}{8} = \frac{23}{24} < 1$$

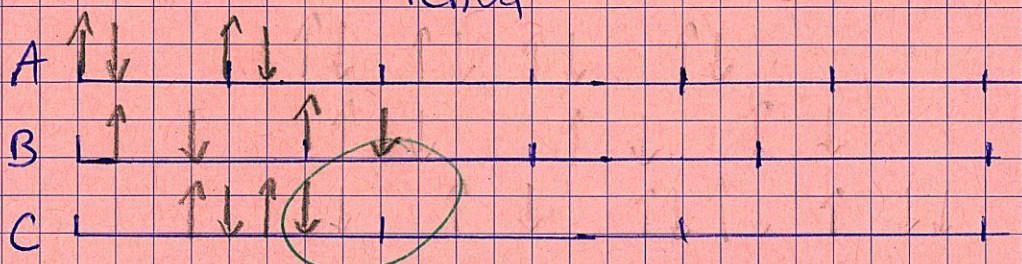
$$\frac{0.5}{1.5}$$

We have  $W < 1$  (necessary condition)

but  $W > U(m)$  (while  $W < U$  is a sufficient condition)

$\Rightarrow$  RMS is not optimal but there can be a solution.  
To conclude, we must proceed to do the policy.

$$11. \text{Priority} = \frac{1}{\text{Period}} \quad P(A) > P(B) > P(C)$$



$$\frac{1}{1.5}$$

We can't complete C

Result



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## MATIÈRE Real Time

12. IF we increase the CPU to be 1 second faster it will work.

13. Since  $W \leq 1$ , EDF and LCF are optimal (1)

14. IF  $K$  is set to its minimum ( $K=1$ ), we will need 3 processors to complete in 7 time units.

So depending on  $K$ 's value we need at least 3 processors.

Because: total time = 21 (if  $K=1$ )

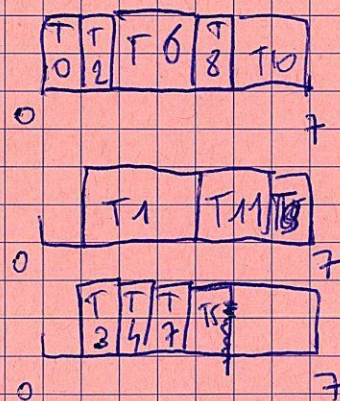
$$\frac{21}{7} = 3.$$

ok

(1)

15.

|     | $\uparrow$<br>tot | $\uparrow$<br>rank | $C$   |
|-----|-------------------|--------------------|-------|
| T0  | 0                 | 14                 | 1     |
| T1  | 1                 | 15                 | 3     |
| T2  | 1                 | 14                 | 1     |
| T3  | 1                 | 16                 | 1     |
| T4  | 2                 | 17                 | 1     |
| T5  | 2                 | 15                 | 3     |
| T6  | 2                 | 16                 | 2     |
| T7  | 3                 | 18                 | 1 (1) |
| T8  | 5                 | 18                 | 1     |
| T9  | 4                 | 18                 | 3     |
| T10 | 5                 | 19                 | 2     |
| T11 | 3                 | 19                 | 2     |



(0,5)



### 3) Synchronization

16. IF a Thread starts to execute B after we have done  $P(\text{sem1})$  in A, but not  $P(\text{sem2})$  in A yet we have a deadlock

(ie: we have executed the first line of A & B in parallel.)

17. (1). Invert the order of Ps:

| A                | B                |
|------------------|------------------|
| $P(\text{sem1})$ | $P(\text{sem1})$ |
| $P(\text{sem2})$ | $P(\text{sem2})$ |
| ...              | ...              |
| $V(\text{sem2})$ | $V(\text{sem2})$ |
| $V(\text{sem1})$ | $V(\text{sem1})$ |

0,5

(2) Use a mutex

where?

| A                 | B                 |
|-------------------|-------------------|
| $P(\text{mutex})$ | $P(\text{mutex})$ |
| ...               | ...               |
| $V(\text{mutex})$ | $V(\text{mutex})$ |

0,5

(3) Use a private semaphore

|                 |                 |
|-----------------|-----------------|
| $P(\text{sem})$ | $V(\text{sem})$ |
| $P(\text{sem})$ | $V(\text{sem})$ |



18. Producer/Consumer problem  $\Rightarrow$  2 semaphores

Free: number of free squares (cass)

occ: number of occupied squares (cass)

$\Rightarrow$  1 mutex lib to prevent two writers to write simultaneously

Reader

Writer

P(occ)

P(Free)

read-buffer()

P(lib)

V(Free)

write-buffer(data)

V(lib)

V(occ)

3, 1

19. Copy is joined.  $\Rightarrow$  0, 1



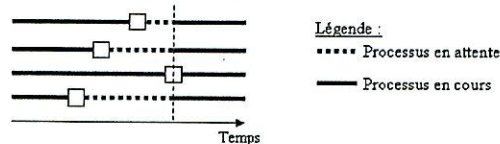




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### Exercice 3.3 : Synchronization barrier for N threads

A synchronization barrier ensures that several threads have reached a particular moment. Thus, there are several threads that run in parallel and they need to wait for the last of them to finish (one section of the code) before they can all move on. The figure below illustrates the operation of this synchronization barrier (or rendez-vous) for 4 threads.



**Question 19.** Write the code of a synchronization barrier mechanism between  $N$  threads using mutex and/or semaphores and the primitives  $P()$  and  $V()$  (as in the course). Fill the empty cells in the program given in figure ??.

**Notes :** – Note that some of the empty cells can be remain empty and some other(s) can contain multiple lines of code if needed ;  
– La global variable « nb\_process » represents the remaining number of threads to be synchronized (i.e. the number of threads that have not reached the barrier). It is initialized to  $N$ .

```
void barriere(void)
{
    int i = 0;
    P(sem)
    nb_process--;
    if(nb_process == 0)
    {
        for(i=0 ; i<N ; i++)
        {
            V(sem)
        }
        nb_process = N;
    }
}
```

Sem: initialized  
at N

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